## RF Exposure Info / MPE Sample Calculation

Model: ION-E System CAP-L7/80-85/17E/19 C-PE-F1 FCC-ID: XS5-CAPL7817E19

CAP L 7/80-85/17E/19 - Product Specifications


The specific device generally will be professionally installed.
Hereby the gain of the finally installed antenna(s), cable attenuation and antenna height will be defined site specific at the time of licensing with the appropriate FCC Bureau(s).

The maximum permissible exposure limit is defined in 47 CFR 1.1310 (B).
$\mathrm{S}=$ power density limit [W/m]
$\mathrm{P}=$ power [W]
$\mathrm{R}=$ distance $[\mathrm{m}]$
$S_{n}=\frac{P_{n} G_{n}}{4 \pi R_{n}{ }^{2}} \Rightarrow R_{n}=\sqrt{\frac{P_{n} G_{n}}{4 \pi S_{n}}}$ (to calculate the distance at one frequency)
If we have more bands, than we have to calculated as a percentage:
The additional of the terms have to be lower than 1.
$\frac{S_{c a l 1}}{S_{1}}+\frac{S_{c a l 2}}{S_{2}}+\frac{S_{c a l 3}}{S_{3}}+\ldots .+\frac{S_{\text {caln }}}{S_{n}}<1$
$\frac{\frac{P_{1} G_{1}}{4 \pi R_{1}{ }^{2}}}{S_{1}}+\frac{\frac{P_{2} G_{2}}{4 \pi R_{2}{ }^{2}}}{S_{2}}+\frac{\frac{P_{3} G_{3}}{4 \pi R_{3}{ }^{2}}}{S_{3}}+\ldots+\frac{\frac{P_{n} G_{n}}{4 \pi R_{n}{ }^{2}}}{S_{n}}<1$

We are looking for a distance of ensures that the formula is satisfied.
$R_{1}=R_{2}=R_{3}=\ldots=R_{n}$
$\frac{P_{1} G_{1}}{4 \pi R^{2} S_{1}}+\frac{P_{2} G_{2}}{4 \pi R^{2} S_{2}}+\frac{P_{3} G_{3}}{4 \pi R^{2} S_{3}}+\ldots+\frac{P_{n} G_{n}}{4 \pi R^{2} S_{n}}<1$
$\frac{P_{1} G_{1}}{4 \pi S_{1}}+\frac{P_{2} G_{2}}{4 \pi S_{2}}+\frac{P_{3} G_{3}}{4 \pi S_{3}}+\ldots+\frac{P_{n} G_{n}}{4 \pi S_{n}}<R^{2}$
$\sqrt{\frac{P_{1} G_{1}}{4 \pi S_{1}}+\frac{P_{2} G_{2}}{4 \pi S_{2}}+\frac{P_{3} G_{3}}{4 \pi S_{3}}+\ldots+\frac{P_{n} G_{n}}{4 \pi S_{n}}}<R$
$\sqrt{R_{1}{ }^{2}+R_{2}{ }^{2}+R_{3}{ }^{2}+\ldots+R_{n}{ }^{2}}<R$

## What you have to do for calculate the minimum distance were the power density limit is met:

1) If you have one path, you have to put you special values in the following formula.
$R_{n}=\sqrt{\frac{P_{n} G_{n}}{4 \pi S_{n}}} \quad$ (Distance for one carrier)
Limits for General Population / Uncontrolled Exposures

| Frequency Range $(\mathrm{MHz})$ | Power Density $\left(\mathrm{mW} / \mathrm{cm}^{2}\right)$ |
| :--- | :--- |
| $300-1500$ | $\mathrm{~S}=\mathrm{f} / 1500$ |
| $1550-100,000$ | $\mathrm{~S}=1$ |

2) If you have more than one path, you must add the individual terms quadratic.
$R_{n}=\sqrt{\frac{P_{n} G_{n}}{4 \pi S_{n}}}$
(Distance for individual carrier)
$\sqrt{R_{1}{ }^{2}+R_{2}{ }^{2}+R_{3}{ }^{2}+\ldots+R_{n}{ }^{2}}<R \quad$ (See previous page)

For example:
The EUT operates in the 4 frequency bands.
The max measured conducted output power see at the following table.
Calculation for every path with maximum allowed antenna gain and without cable loss:

| Frequency [MHz] | Max Power out [dBm] | Max. allowed antenna gain, <br> without cable loss [dBi] | Min. Distance [m] |
| :---: | :---: | :---: | :---: |
| 744 | 18,8 | 9 | 0.098 |
| 747 | 18,9 | 9 | 0.099 |
| 865.5 | 19 | 9 | 0.093 |
| 891.5 | 19,2 | 9 | 0.094 |
| 1969 | 22,2 | 9 | 0.102 |
| 2145 | 21 | 9 | 0.089 |

The worst case would be if all bands were active:
$\sqrt{R_{1}{ }^{2}+R_{2}{ }^{2}+R_{3}{ }^{2}+\ldots+R_{n}{ }^{2}}<R$
$\underline{\mathrm{R}}_{\text {all }}>0.236 \mathrm{~m} \quad$ (see previous page for derivation)
For more accurate calculation, the cable loss and actual antenna gain have to be included in the finally system.
The antenna(s) used with device must be fixed-mounted on permanent structures with a distance to any human body to comply with the RF Exposure limit.

